| STEP | Sample Proportions | Sample Means |
| :---: | :---: | :---: |
| State | We want to find the true proportion of $\qquad$ with $\qquad$ \% confidence. $\hat{p}=$ | We want to find the true mean of $\qquad$ with $\qquad$ \% confidence. $\bar{x}=$ |
| Plan | Check the following conditions: <br> Random: <br> Check to make sure the sample was taken randomly. <br> $10 \%$ condition: (allows us to calculate SE) Check to make sure that 10 times our sample is less than the entire population. <br> Large Counts: $\mathrm{n} \hat{p} \geq 10 \quad n \hat{q} \geq 10$ | Check the following conditions: <br> Random: <br> Check to make sure the sample was taken randomly. <br> $10 \%$ condition: (allows us to calculate SE) Check to make sure that 10 times our sample is less than the entire population. <br> Normal/Large: $n \geq 30$ <br> If $\mathrm{n}<30$, we must look at a graph of our data: <br> - Rough sketch <br> - No strong skewness <br> - No outliers <br> Because our conditions are met, we will use a $l$-sample t-interval to estimate $\mu$. |
| Do | First, calculate the critical value based on your chosen confidence level. <br> On the calculator, choose: $2^{\text {nd }}$ DIST $\rightarrow$ 3. invNorm(percentile) <br> Plug numbers into the following: $\widehat{\boldsymbol{p}} \pm \mathrm{z}^{*} \sqrt{\frac{\hat{p} \widehat{q}}{n}}=(\square, \square)$ | First, calculate and list the following: $\begin{aligned} & \mathrm{df}= \\ & t_{d f}^{*}= \end{aligned}$ <br> where t* is the critical value calculated from the boundary of the confidence level chosen and from the degrees of freedom for the sample size chosen. <br> On the calculator, choose: <br> $2^{\text {nd }}$ DIST $\rightarrow$ 4. invT(percentile, $d f$ ) <br> Plug numbers into the following: $\bar{x} \pm \dagger^{*} \frac{s_{x}}{\sqrt{n}}=\left(\square, \quad \square_{)}\right)$ |
| Conclude | We are $\qquad$ \% confident that the interval from ( $\qquad$ , __) captures the true proportion of $\qquad$ . | We are $\qquad$ \% confident that the interval from ( $\qquad$ ) captures the true mean of $\qquad$ . |

