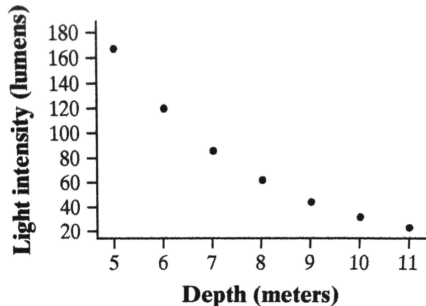


42. a) The relationship is strong, negative, and curved with no outliers.



- b) Because the scatterplot of $\ln(\text{intensity})$ vs. depth is fairly linear, this model is appropriate.

c) $\widehat{\ln(y)} = 6.789 - 0.333(x)$, where y is the light intensity in lumens and x is the depth (meters).

d) $\widehat{\ln(y)} = 6.789 - 0.333(12) = 2.793$, so $\hat{y} = e^{2.793}$ lumens.

43. a) Exponential, because the scatterplot of $\log(\text{height})$ vs. bounce number is more linear.

b) $\widehat{\log(y)} = 0.45374 - 0.11716(x)$, where y = height in feet and x = bounce number.

c) $\widehat{\log(y)} = 0.45374 - 0.11716(7) = -0.36638$ so $\hat{y} = 10^{-0.36638} = 0.43$ feet.

- d) The trend in residual plot suggests that the residual for $x = 7$ would be positive, meaning that the predicted height will be less than the actual height.

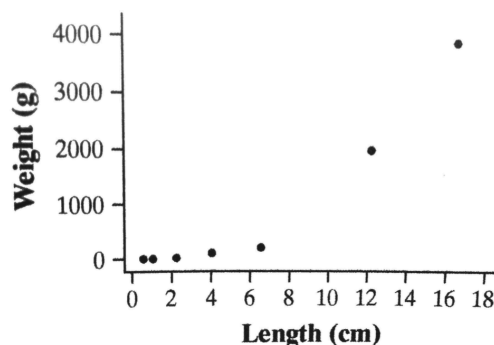
44. a) Power, because the scatterplot of $\log(\text{abundance})$ vs. $\log(\text{body mass})$ is more linear.

b) $\widehat{\log(y)} = 1.9503 - 1.0481 \cdot \log(x)$, where y = abundance (per 10000 kg of prey) and x = body mass (kg).

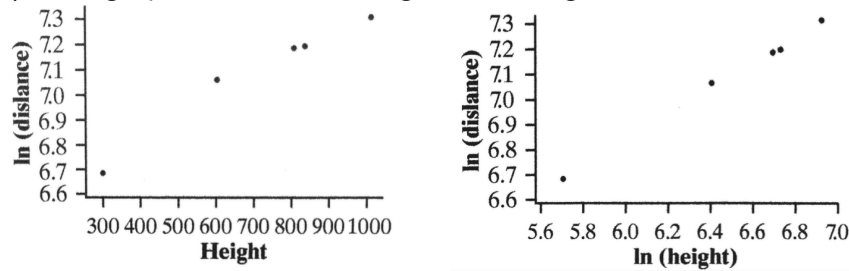
c) $\widehat{\log(y)} = 1.9503 - 1.0481 \cdot \log(92.5) = -0.1104$, so $\hat{y} = 10^{-0.1104} = 0.7755$ per 10000 kg of prey.

- d) Because there are no leftover patterns in the residual plot, the power model is appropriate for these data.

45. a) There is a strong, positive, curved relationship between heart weight and length of left ventricle for mammals.



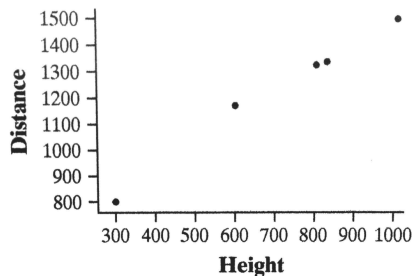
b) Two scatterplots are given below. Because the relationship between $\ln(\text{weight})$ and $\ln(\text{length})$ is roughly linear, heart weight and length seem to follow a power model.



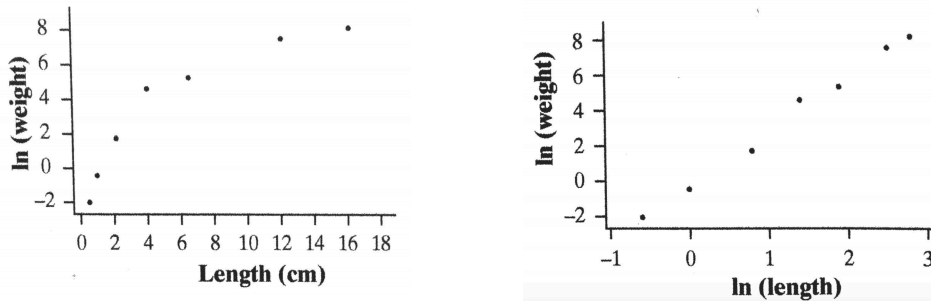
c) $\widehat{\ln(y)} = -0.314 + 3.1387 \cdot \ln(x)$, where y is the weight of the heart and x is the length of the cavity of the left ventricle.

d) $\widehat{\ln(y)} = -0.314 + 3.1387 \cdot \ln(6.8) = 5.703$, so $\hat{y} = e^{5.703} = 299.77$ grams.

46. a) There is a strong, positive, slightly curved relationship between height and distance.



b) Two scatterplots are given below. Because the relationship between $\ln(\text{distance})$ and $\ln(\text{height})$ is roughly linear, distance and height seem to follow a power model.



c) The equation is $\widehat{\ln(y)} = 3.7514 + 0.5152 \cdot \ln(x)$, where y is the distance and x is the height.

d) If the ramp height was 700, $\widehat{\ln(y)} = -0.314 + 3.1387 \cdot \ln(700) = 7.1265$ and $\hat{y} = e^{7.1265} = 1244.51$ units.

47. C

48. E

49. E