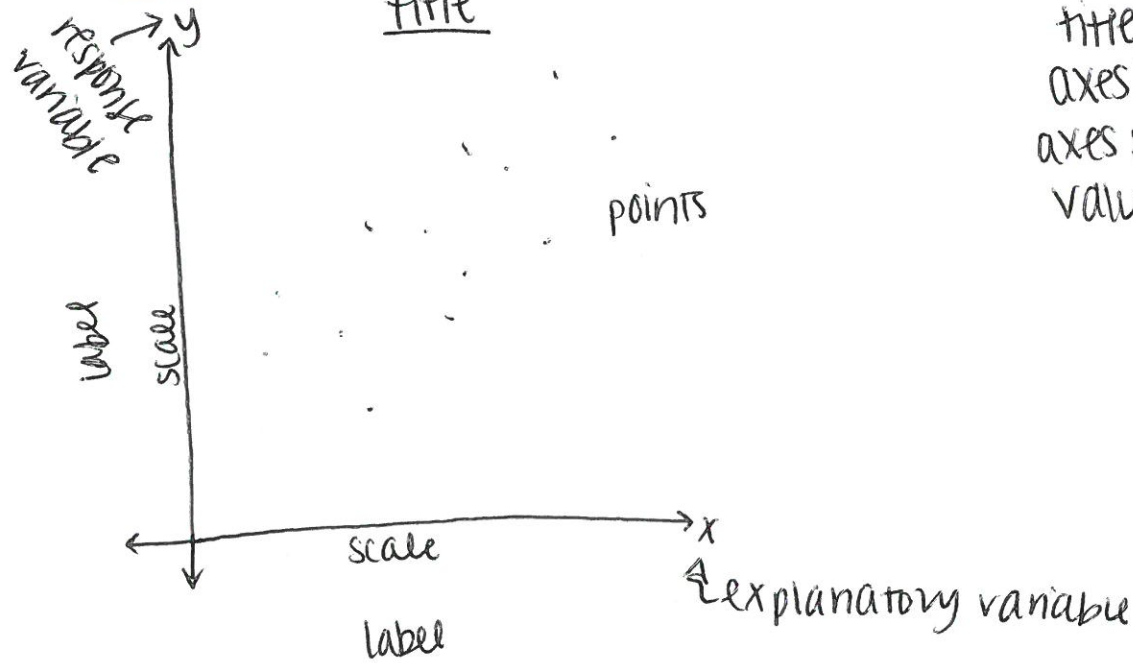


Scatterplots:

Include:



- title
- axes labels
- axes scales
- values (datapoints)

Describe using:

Form: clusters, gaps, outliers, linear or curved

Direction: positive slope vs. negative slope

Strength: strong, moderate, weak (how tight the points are in a line/curve)

Correlation: measures the strength of the linear relationship between x and y.

Correlation Coefficient (r): same as correlation, but given ~~in~~ a numerical value. $-1 \leq r \leq +1$. as |r| approaches 1, the correlation increases

Coefficient of Determination (R²): sentence frame! the % variation in y explained by x (or the 1/2% of y on x).

as |r| approaches 1, the correlation increases (becomes stronger).

LSRL: least squares regression line.

the line that gets closest to most data points.
it best fits the data.

$$\hat{y} = a + bx$$

← explanatory variable (pointing to x)
 ↑ slope (pointing to b)
 ↑ y-intercept (pointing to a)
 Predicted response variable (circled around \hat{y})
 Variable (circled around the entire equation)

Three ways to find the LSRL equation:

<p>METHOD #1: Using a list of data points:</p> <ol style="list-style-type: none"> Put data in L1 and L2 of your calculator STAT > CALC > 8. LinReg(a+bx) Place a and b values into your equation and be sure to write your equation with Y-HAT and IN CONTEXT. 	<p>METHOD #2: Using calculated values for mean, standard deviation, and r.</p> <ol style="list-style-type: none"> Use the equations on the equation sheet to calculate a and b. Place a and b values into your equation and be sure to write your equation with Y-HAT and IN CONTEXT. 	<p>METHOD #3: Using a MiniTab Output:</p> <ol style="list-style-type: none"> Identify a and b. The value of a can be found in the Constant row, Coef column. The value of b can be found in the Variable row, Coef column. Place a and b values into your equation and be sure to write your equation with Y-HAT and IN CONTEXT.
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METHOD #1 EXAMPLE: Create the LSRL for predicting number of bags of dog food used per month based on the number of dogs a person owns. Use the data table below.

# of dogs	Bags of dog food used/month
1	3
2	6
3	8
2	7
3	10
4	11
5	15
5	15
4	12
3	9
6	17
9	25
8	24
7	20

$$\widehat{\text{bags of dog food}} = 0.636 + 2.792(\text{\# of dogs})$$

OR

$$\hat{y} = 0.636 + 2.792(x)$$

\hat{y} = predicted # of bags of dog food used per month

x = # of dogs owned

If you define y instead of \hat{y} , omit "predicted".

METHOD #2 EXAMPLE: Create the LSRL for predicting number of bags of dog food used per month based on the number of dogs a person owns. Use the values below.

$\bar{x} = 4.429$
 $s_x = 2.377$
 $\bar{y} = 13$
 $s_y = 6.668$
 $r = 0.9951$

b_1 on equation sheet

$$b = r \frac{s_y}{s_x} = 0.9951 \cdot \frac{6.668}{2.377} = 2.7915$$

b_0 on equation sheet

$$a = \bar{y} - b\bar{x}$$

$$a = 13 - 2.7915(4.429) = 0.6366$$

$$\text{\# of bags of dog food} = 0.6366 + 2.7915(\text{\# of dogs})$$

OR... define x and y or \hat{y} and write the equation of the LSRL w/ variables (x and \hat{y}).

METHOD #3 EXAMPLE: Create the LSRL for predicting number of bags of dog food used per month based on the number of dogs a person owns. Use the MiniTab Output below.

Predictor	Coef	SE Coef	T	P
Constant	0.6362	whatevs	whatevs	whatevs
Bags	2.7918	whatevs	whatevs	whatevs
S = whatevs	R-Sq = 0.9902		R-Sq(adj) = whatevs	

this is the variable x the variable goes so slope goes next to it

to find r, take $\sqrt{R^2}$ and use the same sign as slope (\pm)

we don't use this

$$\text{\# of bags of dog food} = 0.6362 + 2.7918(\text{\# of dogs})$$

OR...

Other important things:

Calculating & Interpreting Residuals:

residual = observed value - predicted value

EXAMPLE: Calculate and interpret the residual value for a person who owns 7 dogs.

Find the actual value (from table): $(7, 20)$
 $y = 20$ bags of dog food
of dogs # of bags of dog food

Find the predicted value (from LSRL): $(7, 20.179)$
 $\hat{y} = 0.636 + 2.792(7) = 20.179$
predicted # of bags of dog food

Residual Plot:

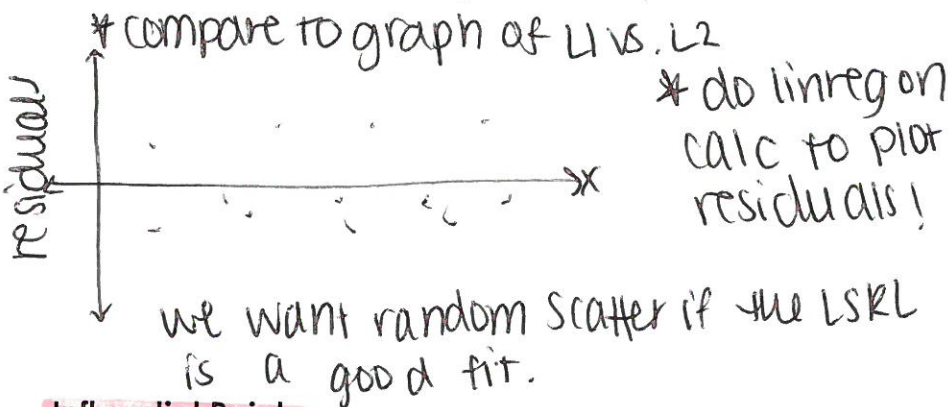
usually x vs. residuals (for each point)

$$\text{residual} = y - \hat{y}$$

$$= 20 - 20.179 = -0.179$$

A person who owns 7 dogs is predicted to need 0.179 more bags of dog food per month than they actually need.

OR A person who owns 7 dogs needs 0.179 bags of dog food per month less than they are predicted to need.



Influential Point:

if removed, the LSRL drastically changes. could be an outlier (x -direction) or not!

Extrapolation:

When we use the model to predict y for values of x not used to create the model. **BAD!** in the domain

EXAMPLE: Would it make sense to use our model to predict the number of bags of dog food needed for a person who has 49 dogs? Why or why not?

Nope! this is extrapolation. 49 is not in the domain of x values used to create this model.

Interpreting slope and y-intercept:

Slope can be interpreted as follows: for every [one unit increase] in [x variable in context], we predict [y in context] will increase/decrease by [slope value in context w/ units].

y-int: If [x in context] is 0 (or there are none, in context) the value of [y in context] is [yint value w/ units in context].

EXAMPLE:

Slope:

For every one additional dog owned by a person, the number of bags of dog food they need per month is predicted to increase by 2.792 bags.

y-intercept:

A person who owns no dogs is expected/predicted to need 0.6366 bags of dog food per month.

Example: describe the scatterplot.

F there is a moderately strong, positive,
D linear relationship between # of
S dogs owned, and # of bags of
dog food needed per month.
by a person

